# 25. ORBITS OF PHOTOGRAPHIC METEORS* 

(Survey Paper)

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#### Abstract

New photographic observations of meteors in the brightness range $-5>M_{p}>-18$ (?) and with a median value of $M=-8.5$ have yielded orbits with a precision of better than $1^{\circ}$ in the angular elements and of about 0.05 in $e$ and $1 / a$. A comparison of 100 of these fireball orbits with SuperSchmidt orbits shows: (1) A class of orbits, comprising about $25 \%$ of the faint meteors, of long period, is almost completely absent among the fireballs. (2) Small perihelion distances ( $q<0.2 \mathrm{AU}$ ) are not found. A maximum at $q \sim 0.7 \mathrm{AU}$, which also appears in the Super-Schmidt orbits of short period, corresponds to the perihelion distances of all but two of the Apollo objects. (3) The distribution of aphelia shows a marked decrease at Jupiter when compared to a similar distribution of small, faint meteor orbits. With the existing material, we cannot determine whether this represents an important evolutionary distinction between meteoroids of different mass or is simply the result of an inappropriate choice of the division between 'large' and 'small' orbits in the faint meteor data.

Provisional values of the bulk density of 28 of the fireballs as determined from the photometric mass and the observed mass-area ratio indicate that these meteoroids do not differ significantly from those observed with the Super-Schmidt cameras. Evidence of gross fragmentation of these large objects at high elevation and evidence of small or negligible terminal masses suggest that the material is friable. There is no certain evidence that any appreciable fraction of fireballs is produced by high-density, cohesive material.

If the above analysis is correct, we should expect an occasional ( 1 year ${ }^{-1} 10^{6} \mathrm{~km}^{-2}$ ?) meteorite fall of discoverable size originating from a low-density meteoroid.


One set of observational quantities that may be used to determine the six orbital elements of the heliocentric orbit of a body is its simultaneous position and velocity components. Most photographic observations of meteors, for whatever purpose they are made, contain within them the necessary ingredients to determine a (vector) velocity with respect to the Earth. The components of this observed velocity due to gravity and the Earth's diurnal and orbital motions are readily removed, giving the necessary heliocentric velocity. Errors in the observed direction of motion (apparent radiant) may be as small as a few minutes of arc, and those of speed ( $V_{\infty}$, velocity

[^0]before sensible atmospheric retardation), less than $1 \%$. The position of the meteoroid at the time of the observation is known with a precision unique in astronomy.

The orbits derived from the best observations have probable errors of the angular elements of $<1^{\circ}$, and of $e$ and $1 / a$, of the order of 0.05 . The literature today contains orbital elements of this or somewhat less accuracy for approximately 1000 meteors (see, e.g., Whipple, 1954; Jacchia and Whipple, 1961; Hawkins and Southworth, 1961 ; Babadžanov and Kramer, 1967). Less accurate but useful orbits are known for an additional 2500 objects (McCrosky and Posen, 1961). The above references, while not comprehensive, include the major meteor-orbit catalogs. Most of this information has become available within the past decade.

The interpretation of these data, with regard to the ultimate aim of describing the origin and history of these small bodies of the solar system, has not progressed at the same rate. Certainly more information is currently available about orbits than about any other aspect of meteor astronomy and physics. Because of the ease and the precision with which orbits can be determined, observations in this field are well in advance of theory. I do not know of any reasonable surmise or hypothesis that requires for its verification either more or better orbits of meteors in the brightness range $-5<M<5$.

This is true, in part, because many of the most interesting questions of origins also involve questions of composition and structure. A full interpretation of orbits, then, depends on simultaneous physical observations and on an adequate physical theory of meteors.

Eventually, of course, histories and origins must be discussed in terms of planetary perturbations and physical effects that govern the lifetime of the particles. This will not be accomplished by extrapolating existing orbits into the past, but rather by locating an appropriate source in the solar system and by tracing it forward in time to demonstrate that what is now observed at Earth is a reasonable expectation of all the processes that govern the past history of the material. The observed orbits may suggest a source of the meteoritic material, and they certainly supply the major boundary conditions to be met by any theory, but, in a very general sense, we investigate meteor orbits not so much to answer questions as to learn what questions to ask. However, none of this should suggest that orbits alone cannot give some specific insight to the problem of origin. For example, the association between meteor showers and comets is well known. More than half the showers recognized with certainty in photographic data are associated with known comets, and more than half the comets that might be expected to produce showers, say those with orbits approaching within $0 \cdot 1 \mathrm{AU}$ of the Earth's orbit, have produced at least a few meteors. The comet-meteor relationship is unmistakable.

A second conclusive result from optical orbits relating to their origin is specified by the essentially complete absence of hyperbolic orbits. Jacchia and Whipple (1961) have placed an upper limit of $1 \%$ on the occurrence of such orbits and have amply demonstrated the soundness of this limit. Let me here take advantage of my special
position as the producer of the largest number of photographic 'hyperbolic' orbits to suggest that the primary value of such orbits is the determination of the accuracy of the observations and the reduction procedures, rather than the determination of the origin of the meteor.

For a variety of reasons, none of which may be valid, the asteroids have also been considered a source of meteors and, in particular, of meteorites. For these objects, we have been almost completely uninhibited by observations that might serve as boundary conditions. I have been attempting to fill that gap in our knowledge during the past 3 years. Very briefly, we have operated a 16 -station network (Prairie Network) of cameras in the midwestern U.S. (McCrosky and Boeschenstein, 1965) that continuously observes an area of about $1.5 \times 10^{6} \mathrm{~km}^{2}$. Each station contains four cameras ( $\mathrm{f} / 6$ and $150-\mathrm{mm}$ focal length) that together cover essentially the entire sky as seen from that station at elevations above $10^{\circ}$. The base line between the stations is 225 km . Chopping shutters and timing devices permit us to determine velocities and radiants with accuracies better than $1 \%$ and 30 min , respectively.

I include in Table 1 in this paper 100 new photographic fireball orbits derived from these observations in the past 3 years. These data are for fireballs with maximum light between $M=-5$ and, perhaps, $M=-18$. The median value is $M=-8 \cdot 5$. In general, these 100 objects represent the brightest and best observed of the present sample of 500 sporadic meteors that have been photographed. However, a few poorly observed but very interesting objects with substantially larger errors than quoted above have been included in the list and are so labeled.

The meteor duration also plays some role in the selection process. Meteors of duration less than 1 sec generally do not supply the timing information required for a good orbit, and a small percentage of objects that are bright but of short duration have not been reduced. Readily identified shower meteors have also been excluded unless they were of exceptional brightness or duration. It is true, however, that most shower meteors do not meet the criterion of $1-\mathrm{sec}$ duration.

An additional bias in the observations is introduced because of the great base line between the stations and the concomitant importance of large atmospheric absorption affecting the meteors at large zenith distances. High-velocity objects have a substantially better chance of being observed from two stations because of their greater altitude. Meteors of low luminosity and near the limit of our system can be photographed from two stations only if they occur in a rather small region, about half way between two of the stations. These biases can be accounted for with some accuracy when our statistics warrant it; they are not important for the present analysis.

In the absence of reliable velocity information on very bright objects, Whipple and Hughes (1955), following the work of Newton (1888), analyzed the elongations, $\lambda$ of the geocentric radiants from the earth's apex. They compared the frequency distribution for various brightness classes of objects: photographic meteors, $M \approx-2$ (smallcamera meteors); fainter fireballs, $M \approx-5$; great fireballs, $M \approx-12$; detonating














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bolides; and meteorite-producing events. The distributions could be considered bimodal, with the minor mode at $\lambda=40^{\circ}$ becoming progressively weaker with increasing brightness and disappearing altogether for the bolides and meteorites. The median value of $\lambda$ for the major mode increased from $90^{\circ}$ to $130^{\circ}$ with a convincing, if not perfect, regularity as the event brightness increased. The authors, at least by implication, suggested that the major mode was comprised of two distribution functions derived from separate sources. One distribution source, with a slightly larger mean value of $\lambda$, becomes progressively more important with increasing body size, thus producing the observed trend.

The simplest explanation for the distributions is that there are three sources of meteors, each with its own number-magnitude relationship. Whipple and Hughes suggested, as a working hypothesis, the asteroids as a source for the meteorites and long-period comets as a source for the objects of small elongation. Short-period comets are the source for the majority of the photographic meteors. We can extend the accurate data to both brighter and fainter objects today.

The data on the faintest photographic meteors have been obtained from the SuperSchmidt meteor cameras of the Harvard Meteor Project. The distribution of the Super-Schmidt sporadic meteors, as derived from McCrosky and Posen meteor data, is shown in Figure 1. The fact that the low elongation peak does not stand out so clearly as it did in the small-camera photographic data may be significant, but it is more likely a result of the often-noted selectivity employed in choosing meteors for reduction from the small-camera data. The blending together of the two groups in these newer data makes the distinction between the two classes less obvious than before, but in fact, new information on the physical characteristics of these bodies from the Super-Schmidt material makes it easier to distinguish the two groups. Jacchia (1958) has shown that there is a significant difference in the beginning heights of meteors in these two classes. Jacchia chose as the dividing line between the two groups an aphelion distance of 7 AU , although the size of the orbit, as measured by the s $\epsilon$ mi-major axis, might as well have been chosen. Verniani (1964) has demonstrated that the bulk density of these two classes is also statistically different.

Additional evidence of a distinction between the two classes of orbits is given by the distribution of elongation for the Prairie Network objects in Figure 1. The remarkable cutoff at $\lambda=70^{\circ}$ in the fireball data is not apparent in the visual data assembled by Whipple and Hughes, but this is almost certainly a result of the larger observational errors in that material rather than of a real physical effect. The Prairie Network data, diffused by a normal error function with a standard error of $10^{\circ}$, closely resemble the distribution of the great fireballs given in the visual observations.

Any uncertainty that may have arisen from the visual data that Whipple and Hughes were forced to use has been removed. The number-magnitude relationship for the two classes of orbits is sufficiently different to suggest that either different origins or different histories are involved. The problem would be greatly simplified at


Fig. 1. Distributions of geocentric elongation of radiant for Prairie Network, McCrosky-Posen sporadics, and Hawkins-Southworth large orbits.
this point if we could somehow demonstrate that comets and asteroids were the respective sources of the two groups. (Note that the distributions of elongation in the Prairie Network and the meteorite data of Whipple and Hughes need not be similar, even though the source is the same. The Prairie Network observations, necessarily limited to nighttime hours, should be expected to peak at a lower elongation.) However, the exhaustive work of Jacchia et al. (1967) demonstrates that this is not true for smaller objects. Since we can divide the faint meteor data into two groups by some rational means and can demonstrate that the distributions of orbital elements of these faint meteors and the bright meteors are similar, there is even less motivation for making the gross assumption that bright objects are of asteroidal origin.

Figure 2 is a plot of the Jacchia and Whipple orbits as a function of elongation and
heliocentric velocity, in which we can readily see the distinction between the two groups. I have chosen $V_{H} \approx 39 \cdot 8(a \approx 5 \mathrm{AU})$ as a reasonable dividing line. The absence of meteors of large $a$ and large $\lambda$ simply demonstrates that brightness is a strong function of geocentric velocity. The smoothed distribution of $\lambda$ for large orbits as taken from the statistical sample of Super-Schmidt data of Hawkins and Southworth is shown in Figure 1.

The small orbits, in the triangular array at $\lambda>55^{\circ}$ in Figure 2, are direct orbits of


FIG. 2. Geocentric elongation of radiant vs. heliocentric velocity for Jacchia-Whipple precision orbits.
low inclination. The physical limit of perihelion distance is shown by the line on the left; a second seemingly significant limit is shown at $q=0.2 \mathrm{AU}$, beyond which only a few sporadic objects and the Geminids, $\delta$ Aquarids, and Quadrantids occur. Figure 3 is a similar plot of the Prairie Network data.

By limiting the observations to fireballs, we can almost eliminate the low-elongation group. To search for orbital differences between faint meteors and the fireballs of small $a$, I compared the Hawkins-Southworth sporadic meteors with $a<5 \mathrm{AU}$ with the similar group of Prairie Network objects. Figure 4a, presenting the distribution of inclinations, shows no suggestion of a significant difference between the two brightness


Fig. 3. Geocentric elongation of radiant vs. heliocentric velocity for 100 Prairie Network orbits.
classes. The median value of inclination for each of these groups is of the order of $10^{\circ}$, about half that of the value for the distribution of all Super-Schmidt meteors.

Figure 4 b shows the distribution of aphelion distances. The considerably greater tail of objects with aphelia outside Jupiter's orbit for the fainter meteors should perhaps be interpreted as a result of our simple and inexact dividing line between the two groups; i.e. nature has divided the objects more carefully by brightness than I have been able to do by their orbital elements. In any case, the difference between the two distributions is almost certainly more exaggerated than is shown in the diagram, since a number of Prairie Network meteors with $q^{\prime}>5 \cdot 2$ must result from some observational error and diffusion from the substantial peak at smaller values of $q^{\prime}$. Indeed, the decrease in the number of orbits with aphelia just beyond Jupiter is sufficiently striking to suggest that $q^{\prime} \approx 5 \cdot 2 \mathrm{AU}$ may represent the most significant dividing line between two types of objects.

In Figure 4 c it is seen that although the eccentricities follow the same general


Fig. 4. Distribution of orbital elements of Hawkins-Southworth $(\wedge)$ and Prairie Network ( $\sqcap$ ) meteors with $a<5$ AU for: (a) i, inclination; (b) $\left(q^{\prime}\right)^{-1 / 2}, q^{\prime}=$ aphelion distances; ( $c$ ) e, eccentricity; and (d) $q$, perihelion distances.
trend, brighter objects have slightly less eccentric orbits on the average. Again, this probably indicates some contamination in the selection of faint meteors. The similarity between the two eccentricity distributions is more remarkable than their differences.

It is in the perihelion distances, Figure 4d, that we see the greatest similarity between the two distributions. The peak near $q=1$ is, of course, due to an observational selection effect, associated with the high probability of collision with the Earth for
bodies with this perihelion distance. If these curves were corrected for this bias, they would both show a gentle rise from 0 to $0 \cdot 75$, followed by a sharp decline to $q=1$. This is certainly the major characteristic of these orbits that requires explanation. All the Earth-crossing asteroids except Adonis and Icarus have perihelia between 0.65 and 0.89 . Whether or not the Apollo asteroids are generically related to the fireballs, it seems probable that these two groups of objects have something in common in their histories. Incidentally, the distribution of perihelion distances for SuperSchmidt meteors as a whole shows the number of meteors increasing monotonically and almost parabolically with increasing $q$. By eliminating large orbits, we have preferentially eliminated a large number of those with $q>0.8$.

The small peak in both distributions in the vicinity of $q=0.4$ may be associated with an extended Taurid shower. The fireball data include a number of objects, occurring as late as mid-January, with values of $q$ and $e$ appropriate for either of the Taurid streams. I am reluctant to be definite about this association until such time as we have more data on objects occurring in December and January that may permit us to demonstrate a general trend in the elements and the radiant.

The absence of fireballs with $q<0.2$ is associated with the absence of objects with elongation between $60^{\circ}$ and $70^{\circ}$. As yet, our data are too few to be certain that the absence is statistically significant.

In summary, a difference between the distributions of elements of the bright and faint objects does exist, but the similarities are even more striking. It will require strong evidence to the contrary for me to refrain from concluding that these two groups of objects, the faint Super-Schmidt meteors of $a<5$ (or, perhaps, $q^{\prime}<5 \cdot 2$ ) and the bright fireballs with similar-sized orbits, do not have a generic relationship.

There remains the possibility that the fireball orbits are only by coincidence similar to the short-period faint meteors and that they are, in fact, derived from different sources. In support of such an argument, we can note that the mean value of $1 / a$ increases with increasing magnitude for Super-Schmidt data (Kresák, 1964) or that, when comparing either of the small-camera meteor samples (Whipple, 1954; Babadžanov and Kramer, 1967) with Super-Schmidt data, the same kind of effect is seen. However, both such comparisons are made on a relatively short base line of brightness where any slight selection effect may prove disruptive to the analysis. Of course, it is not impossible for the derivative of the ratio of large to small orbits to change sign, but it is somewhat disturbing to find that this happens to occur at just that point on the magnitude scale where meteor observations are relatively easy to make.

If the fireballs are derived from a different source - particularly from asteroids - the difference will be detectable in the physical characteristics (Cook et al., 1963). A major purpose of the Prairie Network is to bring under observation high-density asteroidal material in an attempt to learn something of their orbits and origin and to improve our understanding of the physics of the atmospheric-entry problem by
investigating material of relatively well-known density and with some structural integrity. These statements imply a number of assumptions that are not uniformly agreed to, for example:
(1) "Brighter, and presumably larger, meteors will give a better sample of highdensity asteroidal material." There is no certain observational evidence to confirm this.
(2) "High-density objects, and particularly meteorites, are of asteroidal origin. Low-density material does not produce meteorites and is derived from comets." Although I wish to discuss apparent densities of these bright meteors, I see no requirement in the present data that impels us to reject Öpik's (1966) cometary origin for meteoritic stones, or similarly to reject an asteroidal origin (Whipple, 1967) for some material of weak structure or even of low density. In short, my comments on structure are not to be construed as comments on origin.
(3) "Trajectory and luminosity data of large bodies can be treated within the framework of faint meteor physics." I do not believe this statement in detail, but I will, in a later paper, present arguments to substantiate my view that the existing theory offers a reasonable starting point to which perturbations to the present theory can be applied.

I will present here only a summary of preliminary results for 28 of the meteors for which orbits are given. Complete photometry and trajectory data are available for these and will be published in their entirety elsewhere. Because of the increased range and poor-quality optics, neither the trajectory data nor the photometry data can compare with the Super-Schmidt material. Nevertheless, photometry is thought to be accurate to 0.5 mag , on the average. The long lifetime of the meteor makes up in part for the poorer measures of trajectory. Decelerations determined over trajectory arcs of from 1 to 2 sec of time have internal probable errors of $10 \%$ of the value of the deceleration.

Let us combine the drag equation and the photometric mass equations

$$
\begin{equation*}
v=\frac{m}{A}=\frac{\Gamma \rho V^{2}}{\dot{V}} \tag{1}
\end{equation*}
$$

and

$$
\begin{equation*}
m=\frac{2}{\tau_{0}} \int \frac{I}{V^{3}} \mathrm{~d} t \tag{2}
\end{equation*}
$$

where $m=$ mass of meteoroid, $A=$ frontal area, $\quad \Gamma=C_{\mathrm{D}} / 2=\mathrm{drag}$ coefficient, $\rho=$ atmospheric density, $V=$ velocity, $\quad \dot{V}=\mathrm{d} V / \mathrm{d} t, \tau_{0}=$ luminous efficiency, and $I=$ intensity $(M=-2.5 \log I)$. If we further assume the body to be spherical, we can formally derive a bulk density, $\delta$,

$$
\begin{equation*}
\delta=\binom{1 \cdot 77 v^{3}}{m}^{1 / 2} \tag{3}
\end{equation*}
$$

This density is an upper limit, insofar as the terminal mass of the body is assumed negligible. When more than one determination of $\delta$ can be made for a meteor, either from separate photographs or from different portions of the trajectory, the agreement of the values is not outstanding. Variations by a factor of 3 are observed, presumably reflecting the great weight placed on $v$, which depends on the second derivative of the observations. The remarkable fact is, however, that of these 28 meteors, including over 100 density determinations, none yielded a density, as determined by Equation (3), in excess of $1.2 \mathrm{gm} \mathrm{cm}^{-3}$. The average value of about 0.4 is essentially the same as that determined by Verniani for Super-Schmidt meteors. If we wish to believe that an appreciable fraction of meteors of -8 mag have high densities, it would appear that either we must call upon a similar error in the theory and analysis applicable to both faint and bright meteors or we must resolve the problem by detecting errors in the bright-meteor analysis that, by chance, produced dust-ball densities.

It is unrealistic to suggest that the value of luminous efficiency used, as derived from observations of natural and artificial meteors, is in error by 2 orders of magnitude, or that the shapes of these objects depart from a sphere to such an extent that the observed densities are underestimated by a factor of 10 . Nor is it likely that the values of deceleration can be systematically in error by a factor of 5 . Although a smaller contribution from each of these possible errors could conceivably cause us to determine a gross underestimate of the density, it appears more prudent to accept the fact that most large meteor bodies do not differ substantially in their structure from small bodies. If this is the case, then our data suggest that, over the area of the Prairie Network each year, one such low-density object with a terminal mass of the order of 5 kg should reach the ground. If the object can withstand impact, survive any rain that occurs prior to discovery, and be recognized, I believe we have a reasonable chance of recovering the meteorite. The argument concerning its asteroidal or cometary origin can then continue unabated.

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## DISCUSSION

Babadžanov: How did you determine the magnitude of your bright meteors?
McCrosky: Bright objects are generally observed from many stations, as many as 10. Photometry is performed on film from a distant station. The extinction coefficient is determined from star trails.

Babadžanov: The distribution of the orbital elements of bright and faint meteors appears quite similar. Do you think that this was the case even in the past?

McCrosky: Yes.
Halliday: I would like to compliment Dr. McCrosky on these fine results. When more data are available I would like to see separate treatment of the objects brighter than about magnitude - 12 since I would not expect to find a large meteorite contribution among fainter objects. As for the meteorite influx rates we find some encouragement in the fact that in 15 years of operation of our Alberta stations there have been five meteorite recoveries from fireballs which were observable from our stations.
McCrosky: Perhaps 15 objects of $M<-12$ have been reduced for trajectory. In all cases, the terminal velocity or the terminal ballistic coefficient (mass/area) indicates near complete ablation of the initial body. I accept these observations as a strong indication of the friability of these meteoroids. As for meteorite falls, we find some consolation in the fact that no meteorites have been recovered by others in the Prairie Net region during the past 3 years.

Lindblad: Have you observed any cases of artificial satellite re-entry?
McCrosky: None. One object of $V=10.8 \mathrm{~km} / \mathrm{sec}$. when corrected for diurnal motion, just exceeds escape velocity.

Ceplecha: You have found no appreciable difference between bright and faint objects. There is still a possibility to extrapolate down from the dense meteorite bodies to the Super-Schmidt objects, which could be of the same nature.

McCrosky: I am completely open-minded about this possibility. I only note that very large changes in existing theory are required.

Ceplecha: The disintegration into fragments or droplets due to atmosphere action could be present also in the case where we assume a dense body penetrating the atmosphere.

McCrosky: Using the standard relationship between luminous efficiency and velocity, one can show that ignoring fragmentation effects results in an increase in the bulk density; i.e. my densities are probably safe upper limits.


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