# Shear frame stability parameters for large-scale avalanche forecasting

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ABSTRACT. During the winters of 1990, 1991 and 1992, a field study of stability parameters for forecasting slab avalanches was conducted in the Cariboo and Monashee mountains of western Canada. In a level study plot at 1900 m and on nearby slopes, the shear strength of the weak snowpack layer judged most likely to cause slab avalanches was measured with a 0.025 m<sup>2</sup> shear frame and a force gauge. Based on the ratio of shear strength to stress due to the snow load overlying the weak layer, a simple stability parameter and a more theoretically based stability index which corrects the strength for normal load were calculated. These stability parameters are compared with avalanche activity reported for the same day within approximately 30 km of the study plot. Each stability parameter is assessed on the basis of the number of days that it successfully predicted one or more potentially harmful avalanches. Both parameters predicted correctly on at least 75% of the 70 days they were evaluated. The simpler empirical stability parameter worked as well as the one that corrects strength for normal load. For large-scale forecasting of dry-snow slab avalanches, shear frame stability parameters appear to be a useful addition to meteorological data, snowpack observations and slope tests.

## INTRODUCTION

Traditionally, meteorological measurements (including the amount of storm snow) have proven more useful for avalanche forecasting than measurements of the mechanical properties of the snowpack (Perla, 1970). This is surprising since the slab avalanches that constitute most hazardous avalanches begin with shear failure of an identifiable weak layer in the snowpack (McClung, 1987). Accordingly, several researchers have used shear



Fig. 1. Testing the shear strength of a weak snowpack layer with a shear frame and manual force gauge.

frames (Fig. 1) to test the shear strength of the weak snowpack layers that were judged most likely to cause slab avalanches, and the results of such tests have been used to calculate stability parameters for comparison with avalanche activity on the tested slopes or nearby slopes (Roch, 1966a; Sommerfeld and King, 1979; Stethem and Tweedy, 1981; Conway and Abrahamson, 1984; Föhn, 1987b). In contrast, our study compares stability parameters with avalanche activity reported within 15– 30 km of the test site.

Although this study compares stability parameters with avalanche activity, other meteorological factors such as increasing air temperature cannot be ignored in operational avalanche forecasting. It is likely that such warming contributes to dry slab failure by reducing slab stiffness (McClung, 1987) rather than by reducing the shear strength of the active weak layer. Hence, the stability parameters used in this study will not show any effect from warming although slab stability may be reduced by increases in solar radiation or air temperature.

## STABILITY PARAMETERS

Various stability parameters can be derived from the ratio of shear strength  $\Sigma$  to overburden stress  $\sigma_v$ . One of the simplest that has been used operationally by two highway avalanche control programs in Canada is the stability factor SF, where

$$SF = \Sigma / \sigma_{\rm v} \,, \tag{1}$$

in which overburden stress  $\sigma_v$  is determined from a vertical series of density  $\rho$  samples of known height h as

$$\sigma_{\rm v} = g(\rho_1 h_1 + \rho_2 h_2 + \ldots), \qquad (2)$$

where g is the acceleration due to gravity.

SF can be determined for either level study plots or slopes, although in practice its use in Canada has been limited to level study plots (Schleiss and Schleiss, 1970). The transitional value of SF, which distinguishes values associated with stability from values associated with instability, must be determined empirically since there is no critical ratio of horizontal (or slope-parallel) shear strength to vertical stress that can be derived theoretically.

Föhn (1987b) has proposed a stability index S which is the ratio of shear strength  $\Sigma_{\rm s}$  corrected for normal load and the statistical effects of shear frame size to the shear stress  $\sigma_{\rm xz}$  adjusted for slope angle  $\psi$ 

$$S = \Sigma_{\rm s} / \sigma_{\rm xz} \,. \tag{3}$$

(The x and z axes are down-slope and slope-perpendicular, respectively.) Since slab failure is believed to begin with slope-parallel shear failure (e.g. McClung, 1987) and S is the ratio of slope-parallel shear strength to slope-parallel shear stress, values of S near 1 are expected for snow slopes that are just at the point of releasing natural slab avalanches.

The shear strength  $\Sigma_{\infty}$  of a large area (> 1 m<sup>2</sup>) is less than that obtained using a small shear frame because of the greater probability of a weakness or flaw over the larger area (Sommerfeld and others, 1976). According to Sommerfeld (1980), the size correction for a  $0.025 \text{ m}^2$ shear frame is given by  $\Sigma_{\infty} = 0.65 \Sigma_{0.025}$ .

Shear strength corrected for normal load is  $\Sigma_{\infty} + \sigma_{zz} \tan \phi$  where  $\sigma_{zz} = \sigma_v \cos^2 \psi$  is the normal load and the "internal friction" is  $\tan \phi$ . However, Roch's (1966b) empirical formula for  $\tan \phi$  is dependent on the grain structure of the weak snow layer and Mellor (1975) questions the concept of internal friction for shear failure of snow. Nevertheless, an increase in shear strength—as measured by a shear frame—with normal load has been reported by Roch (1966b) and Perla and Beck (1983). Consistent with Roch (1966a) and Föhn (1987b), we used Roch's (1966b) correction for granular snow given by  $\tan \phi = 0.4 + 0.08\Sigma_{\infty}$  where  $\Sigma_{\infty}$  is in kPa.

Föhn (1987b) used the slope-parallel shear stress  $\sigma_{xz} = \sigma_v \sin \psi \cos \psi$  for the slope being tested. However, since our objective was to apply stability parameters to slopes of various angles many kilometres away from the study slope, we used  $\psi = 35^{\circ}$  (a typical slope inclination for slab avalanche starting zones) to obtain  $S_{35}$  as

$$S_{35} = \frac{0.65\Sigma_{0.025} + \sigma_{\nu} \cos^2 35 \tan\phi}{\sigma_{\nu} \sin 35 \cos 35}.$$
 (4)

which, in terms of SF, is

$$S_{35} = \frac{0.65SF}{\sin 35 \cos 35} + \cot 35 \tan \phi.$$
(5)

Between the low values of a stability parameter that are associated with unstable snow and the high values that are associated with stable snow, there is a critical or transitional value. In practice, the transition consists of a band of values because of differences in snow conditions between avalanche starting zones and measurement sites and because of the variability of shear strength and overburden measurements. Because stability parameters are used in conjunction with other observations, we elected to base the width of the transition band on the 90% confidence band for the stability parameters. The width of this band can be approximated from the shear strength measurements which are much more variable than the density measurements. Typically, values of SF and S<sub>35</sub> were based on seven shear frame tests that have an average coefficient of variation of 15%. This corresponds to a 90% confidence band given by  $\pm 10\%$ of the transitional value.

## **STUDY AREA**

Shear frame tests were performed at a level study plot and on small, nearby,  $15-30^{\circ}$  slopes near the tree line at 1900 m elevation in the Cariboo Mountains of western Canada. This site is central to the terrain used by Mike Wiegele Helicopter Skiing, a region of more than  $5000 \text{ km}^2$ . Although some of the avalanches used in this study were 30 km from the study plot, most were within 10-15 km, an area that also includes part of the Monashee Mountains. Avalanche starting zones in the area are at elevations of 1500-3000 m.

Most snow storms were accompanied by wind from the south, southwest or west which increases the amount of snow deposited on the north, northeast and east slopes. The small test slopes near the study plot face north, northeast and east as do many of the slide paths on which avalanches were reported.

## **TEST METHODS**

The two stability parameters are compared with the avalanche activity reported daily by the helicopter skiing guides. The effectiveness of the parameters for large-scale avalanche forecasting is assessed on the basis of the number of days that the parameters were consistent with the reported avalanche activity.

#### Shear strength

Before the shear frame test is performed, the active weak layer, that is, the weak layer most likely to be associated with slab avalanches, is identified with a tilt board test (NRCC/CAA, 1989), shovel test (NRCC/CAA, 1989), rutschblock test (Föhn, 1987a) or profile of snow layers (NRCC/CAA, 1989). Overlying snow is removed, leaving approximately 40-45 mm of undisturbed snow above the active weak layer (Fig. 1). A 0.025 m<sup>2</sup> stainless steel shear frame with sharpened lower edges is then gently inserted into the undisturbed snow so that the bottom of the frame is within 5 mm, and preferably within 2 mm, of the active weak layer (Perla and Beck, 1983). A thin blade is passed around the sides of the frame to ensure that surrounding snow is not in contact with, and possibly bonding to, the frame. The force gauge is attached to the cord linking the two sides of the frame and is pulled smoothly and quickly (< l s) resulting in a plane failure in the weak layer just below the base of the frame. Shear strength is determined

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by dividing the maximum load on the force gauge by the  $0.025 \text{ m}^2$  area of the frame.

We rejected the results of tests for which the fracture was not approximately planar or deviated beyond the active weak layer. Average shear strength, based on sets of at least seven shear frame tests, was determined in the level study plot on 70 days and on nearby study slopes on 76 days.

### Avalanche activity

Avalanche occurrences were compiled by type of release (slab or loose), size, type of trigger (natural, cornice or skier-released), moisture, aspect, elevation and location (NRCC/CAA, 1989) using mainly information obtained from helicopter skiing guides operating in the study area. On a given day the portion of the total study area observed for avalanche occurrences varied from 0–40% depending on visibility conditions, number of guides skiing (typically 5–12) and their operating locations. The research team also compiled occurrence data for slopes visible from near the study plot, particularly during bad weather when helicopter skiing operations were grounded.

An avalanche day was defined as a day on which measurements for stability parameters were made in the level study plot or on nearby slopes and on which one or more naturally released dry slab avalanches potentially harmful to people (class 1.5 or larger according to NRCC/CAA, 1989) were reported. (During and immediately following winter storms there are often many small avalanches of size class 1 or smaller that do not constitute a serious danger and are too numerous to record in detail.) Similarly, a non-avalanche day was defined as a day on which measurements for stability parameters were made but no large (class 1.5 or larger) naturally released dry slab avalanches were reported.

Most reported avalanches were within 10–15 km of the study area, but some were more than 30 km away. Cornice-triggered avalanches were excluded from the study since some cornices are powerful triggers which may release relatively stable slabs. Slab avalanches triggered by skiers and helicopters were recorded but there were too few of these avalanches to use in the analysis.

Some avalanche occurrence data were unavoidably influenced by weather and operational factors. Typically, this happened when visibility was limited or there was no helicopter skiing near the location of the avalanche for one or more days after an occurrence. Some avalanche fracture lines and/or deposits were estimated to be several days old when they were first observed. Consequently, for most of these avalanches, the date of occurrence was estimated. In the following analysis, the stability parameters are compared to avalanche activity both including and excluding avalanches with estimated dates.

For the level study plot, stability parameters were obtained on approximately 25 avalanche days and 45 non-avalanche days (17 avalanche days and 53 nonavalanche days excluding avalanches with estimated dates). On nearby study slopes, stability parameters were obtained on 25 avalanche days and 51 nonavalanche days (20 avalanche days and 56 nonavalanche days excluding avalanches with estimated dates).

An avalanche day is considered to be correctly predicted when one or more large natural dry slab avalanches were reported and the value of the stability parameter was below the transition band. A nonavalanche day is considered to be correctly predicted when no large natural dry slab avalanche was reported and the value of the parameter was above the transition band. The transition band and the forecasting success of each stability parameter were determined from the percentage of avalanche days correctly predicted  $(P_A)$ and the percentage of non-avalanche days correctly predicted  $(P_N)$ . Avalanche days and non-avalanche days corresponding to values of the stability parameter within the transition band were not used to calculate  $P_A$  or  $P_N$ .

To avalanche forecasters, a high  $P_A$  and a high  $P_N$  are both important. However, non-avalanche days include days when dry slab avalanches occurred but were not large (size < class 1.5) and days when poor visibility restricted the helicopter skiing operation and hence the reporting of avalanches. Because of the uncertainty associated with non-avalanche days, the parameters are assessed, based on P which weights  $P_A$  three times as much as  $P_N$ 

$$P = (3P_{\rm A} + P_{\rm N})/4.$$
 (6)

We acknowledge, however, that other weighting factors (>1) would also be appropriate.

P was maximized by trial and error to obtain the transitional value for SF and  $S_{35}$ . These values are given in Table 1 for four cases determined by two factors: treatment of avalanches with estimated dates (included versus excluded) and measurement location (level study plot versus slope).

## RESULTS

Avalanche activity is plotted against concurrent values of SF and  $S_{35}$  for those days in which measurements were made in the study plot in Figures 2 and 4, respectively, and for those days in which measurements were made on study slopes in Figures 3 and 5. Avalanche activity in Figures 2–5 includes avalanches with estimated dates. The transition band between unstable and stable ranges of the stability parameters is also shown in these figures.

The percentages of avalanche days and non-avalanche days that were successfully forecast are tabulated in Table 1 along with the weighted percentage of correctly forecast days P which ranged from 75–87%. These percentages do not include days with values of the stability parameter within the transition band.

We did not visit the sites of the large dry slab avalanches that occurred naturally when the stability parameters were above their transitional values, but expect that some such avalanches resulted from loading of lee slopes by local winds or by intense snow showers.

Including or excluding avalanches with estimated dates has little or no effect on the transitional values of the stability parameters and the effect on P is not systematic and is limited to 5 percentage points.

The transitional values for stability parameters



Fig. 2. Avalanche activity and concurrent values of the stability index SF measured in a level study plot. Each point represents the number of large (potentially harmful to people) natural dry slab avalanches reported for a given day and the value of the stability index for the same day.



Fig. 3. Avalanche activity and concurrent values of the stability index SF measured on a study slope.

measured on slopes are lower than for the corresponding transitional value measured in the study plot. This is likely due to additional snowfall (overburden) on the lee slopes used for shear frame tests compared to the level study plot. The percentage of correctly forecast days is higher, by an average of 7 percentage points, for SF or  $S_{35}$ determined in the level study plot compared to the same parameter determined on study slopes. We suspect this apparent advantage of the level plot over study slopes is due to the more consistent thickness of snowpack layers in the level plot.

For the stability parameter SF, the percentages of correctly forecast days  $P_A$ ,  $P_N$  and P, averaged over the four cases presented in Table 1, are within one point of the percentages for  $S_{35}$ . This is not surprising since the correction term in Equation (5), cot  $35 \tan \phi$ , only ranged from 0.58 to 0.87 (based on the shear strengths  $\Sigma_{0.025}$  that ranged from 0.07 to 4.03 kPa). Hence,  $S_{35}$  is an almost linear function of SF (Equation (5)) and the correction for normal load does not improve  $P_A$ ,  $P_N$  or P. Apparently SF, which is simple enough to be calculated by mental arithmetic, is as good a forecasting parameter as  $S_{35}$ .



Fig. 4. Avalanche activity and concurrent values of the stability index  $S_{35}$  measured in a level study plot.



Fig. 5. Avalanche activity and concurrent values of the stability index  $S_{35}$  measured on a study slope.

Transitional values for SF ranged from 1.56 to 1.78, slightly greater than the critical value of 1.5 used by Rogers Pass (Schleiss and Schleiss, 1970). This greater transitional value may be due to the increased variability in snowpack conditions encountered within the large forecast area of the present study.

Although SF has no theoretically based transitional value, transitional values for  $S_{35}$  near 1 are expected when shear frame tests are performed in critical areas of avalanche starting zones (Föhn, 1987b). In the present study, since shear frame tests were not performed in such critical areas, higher transitional values for  $S_{35}$  (Table 1) are expected. However, Föhn's values of S, calculated for specific avalanche slopes, averaged 2.3 for the slopes which avalanched naturally, implying a transitional value greater than 2.3. While such a difference between theoretical expectation and field observations could be due to shear frame tests being done at locations other than the weak zones (Föhn, 1987b) from which shear failures are believed to spread (Conway and Abrahamson, 1984), it could also indicate that the normal load correction is inappropriate.

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Table 1. Comparison of stability parameters

Stability parameter	Location	Avalanches with estimated dates	Transition value	Percentage correct			
				Avalanche days P <sub>A</sub> %	che days P <sub>A</sub>	Non-avalanche days P <sub>N</sub> %	Combined (Eq. (6)) P %
					%		
SF	plot	included	1.76		87	70	83
SF	plot	excluded	1.68		93	69	87
SF	slope	included	1.56		78	79	78
SF	slope	excluded	1.56		78	72	76
$S_{35}$	plot	included	3.00		85	76	83
S25	plot	excluded	3.00		93	70	87
S25	slope	included	2.89		83	71	80
$S_{35}$	slope	excluded	2.71		75	74	75
				Average	84	73	81

### CASE HISTORY

Between 31 January 1991 and 7 February 1991, a storm accompanied by generally south winds deposited snowfall equivalent to 130 mm of water in the study plot and substantially more in the lee-slope starting zones. In most areas, this snow was deposited on top of a weak layer of surface hoar and resulted in numerous large dry slab avalanches. During this period, instrumentation near the study plot recorded air temperature continuously and wind speed (when the anemometer was not rimed) as shown in Figure 6. The accumulating snow load over the surface hoar layer and the stability parameters were monitored daily. The following case history shows how shear frame stability parameters can complement meteorological measurements for avalanche forecasting.

On 31 January, when the stability parameters were well below their respective transition bands, there were hundreds of small (class 1 or smaller) natural dry slab avalanches. On 1 February, the first large (class 1.5 or larger) natural dry slab avalanche was reported. From 2 to 5 February, snowfall and large natural dry slab avalanches continued. No large natural dry slab avalanches were reported for 6, 7 or 8 February although snowfall continued on 6 and 7 February. The reduction in air temperature from -1°C to -6°C which occurred on 5 February may have contributed to the absence of large avalanches on 6 February; however, the marked increase in the stability parameters to values above the transition band indicates an increase in strength of the weak surface hoar layer. (It is unlikely that the absence of large dry slab avalanches on 6 February is due to surface hoar that was removed from starting zones by previous avalanches since hundreds of starting zones within the study area had not released.) On 7 February, the load increased more rapidly than the shear strength of the surface hoar layer, and as a result the stability parameters dropped into their transition bands. In situations such as occurred on 6 and 7 February, shear frame stability parameters can help the forecaster understand the interaction between loading and the shear strength of active weak layers.

### CONCLUSIONS

On 75–87% of days, SF and  $S_{35}$  were effective predictors of whether one or more natural dry slab avalanches large



Fig. 6. Air temperature, wind speed, snow load over a buried layer of surface hoar, stability factors SF and S<sub>35</sub> based on shear frame tests of the buried surface hoar layer, and avalanche activity for 31 January to 7 February 1991. Meteorological and snowpack measurements made at 1900 m in the Cariboo Mountains.

enough to injure, bury or kill a person were likely to occur, or whether the snow stability was marginal. SF and  $S_{35}$  are comparable in performance but SF is easier to calculate. Either of these two stability parameters appears to be effective for large-scale avalanche forecasting when used in conjunction with established techniques including avalanche observations, meteorological measurements, observations of snowpack stratigraphy and slope tests.

The stability parameters SF and  $S_{35}$  performed better when based on measurements from a level study plot characterized by uniform snowpack layers than when based on measurements from relatively small, safe lee slopes.

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