| No. 21. | $-916 t 275$ | No 26. | $49382 e 16 t 57$ |
| ---: | ---: | ---: | ---: |
| 2. | $51 t 726$ | 7. | ${ }^{4} 495 t 16 e 2738$ |
| 3. | $485913 e 72 t 6$ | 8. | ${ }^{*} 4972 e 61 t 538$ |
| 4. | $-12-$ | 9. | $3 e 815 t 26$ |
| 5. | $48 t 59 e 13627$ | 30. | $4 t 36 e 185297$ |

Fifth-Place Solutions.
No. 1. $524 t 8$ e $13697 \quad$ No. 2. $536 t 2$ e 18497

On a Problem of Lewis Carroll's.
By Professor Steggall.

Fifth Meeting, 10th March, 1899.
Alexander Morgan, Esq., M.A., D.Sc., President, in the Chair.

## Centrobaric Spherical Surface Distribution.

By Professor Tait.
The following is a simple geometrical demonstration of the wellknown theorem that, if matter be distributed over a sphere with a surface-density (i.e., mass per unit of surface) inversely as the cube of the distance from either of two points which are the inversions of each other with respect to the sphere, it will act upon all external masses as if it were collected at the interior point:-and upon all internal masses as if a definite multiple of its mass were concentrated at the exterior point.

Suppose a cone of very small angle, whose vertex is $S$, to cut out small areas, $\mathbf{P}$ and Q , from a spherical surface. (Fig 5.) Then we have, obviously,

$$
\frac{\mathbf{P}}{S \mathrm{P}^{2}}=\frac{\mathbf{Q}}{S \mathrm{Q}^{2}}
$$

And, of course, the rectangle SP.SQ is constant, say $c^{2}$.
Let $R$ be any point, outside the sphere if $S$ be inside, and vice versâ; and take $T$ (always inside the sphere) on RS so that $S R . S T=c^{2}$.

