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3. P. J. Heawood, *Map-colour theorem*, Quart. J. Math., *24* (1890), 332–338.

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CORRECTION TO "A MINIMUM-MAXIMUM PROBLEM FOR DIFFERENTIAL EXPRESSIONS"

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The author takes this opportunity to correct some misprints and to add a note to his paper "*A minimum-maximum problem for differential expressions*," in this Journal, 9 (1957), 132-140.

Page 134, Equation (2.5): for this equation read

$$|| \mathfrak{L}x_0 || = \inf \{ || \mathfrak{L}x || \mid x \epsilon X \}.$$

Page 137, line −5: for "e_0^i" read "e^i".

Page 138, line −7: for "$|\xi_0^i|$" read "$|\zeta_0|$".

Added note: Since the preparation of this manuscript it has come to the author's attention that the present problem bears a close relationship to the "Bang-Bang" control problem **(3)**. Choosing $c = 0$, $\eta_b = 0$, and allowing the endpoint b to vary, it is easy to show that the value of $||g_0||$ at the solution is a continuous monotone function of b. The value of b for which $||g_0|| = 1$ provides the solution to a "Bang-Bang" problem of a rather general type.

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