$$
\mathrm{AE}: \mathrm{EB}=\mathrm{DF}: \mathrm{FC}=\mathrm{AD}: \mathrm{BC},
$$

then the direction of the line EF shall bisect the angle between the directions of $\mathrm{BC}, \mathrm{AD}$.

This extension of Euclid's VI. 3 follows immediately from the proposition that if $\mathrm{AE}: \mathrm{EB}=\mathrm{DF}: \mathrm{FC}$, then all such lines as EF are parallel to one plane, namely, the plane parallel to $\mathrm{BC}, \mathrm{AD}$; and that they each cut similar lines drawn with reference to $B C, A D$.

Dr Mackay has kindly supplied to me the following references bearing on the subject:-Legendre's Geometry, Book V., Prop. 16, (Brewster's Edition, 1824, p. 119 ; Hutton's Course of Mathematics, 12th edition, 1843, Vol. II., p. 224; The Mathematician, Vol. III., Supplementary Number, pp. 36-38.

Note on a possible definition of a plane.
By Professor J. E. A. Steggall.

