# Recombination within the am gene of Neurospora crassa 

By J. R. S. FINCHAM ${ }^{1}$<br>John Innes Institute, Bayfordbury, Hertford, Herts.<br>With Appendix by J. A. PATEMAN

(Received 22 July 1966)

## 1. INTRODUCTION

Mutants which map in the am gene of Neurospora crassa have various kinds of defect in the structure of NADP-linked glutamate dehydrogenase (Fincham, 1962; Fincham \& Stadler, 1965; Pateman \& Fincham, 1966). Crosses between different am mutants yield low frequencies of wild-type progeny (Pateman, 1958, 1960) as would be expected if the mutations are at different sites within the gene. Pateman has shown that almost any pair of am mutants of independent origin will yield some wild-type recombinants when crossed together, and he was able to arrange the mutant sites in a provisional linear order on the basis of the recombinant frequencies. His data are summarized in the Appendix to this paper. In the present work an attempt has been made to place the map of the am gene on a firmer basis by making the genetic backgrounds of the stocks used as uniform as possible, and by studying the relationship between the formation of $a m^{+}$recombinants and the recombination of flanking markers. The markers used have been inositol, distal, and spray, proximal to the am locus. The results support a linear arrangement of the am sites broadly in agreement with Pateman's map, and further provide a strong indication that recombinants within the gene arise predominantly through a polarized 'conversion' process rather than through conventional crossing-over.

## 2. MATERIALS AND METHODS

(i) Neurospora strains

The mutants inositol (mutant R233, obtained from S. R. Gross) and spray (obtained from R. W. Barratt) were each recovered in strains of $A$ mating type following six successive generations of crossing to the standard wild-type $74 A$ (ST $A$ ). The $a m$ mutants, which were selected for this study because of their diverse effects on glutamate dehydrogenase, had various origins which have been detailed elsewhere (Fincham, 1958; Fincham \& Stadler, 1965). All, originally in strains of $a$ mating type, were put through six successive generations of crossing to ST $A$. In each case $a$ am derivatives of the sixth cross were crossed to $A$ inos and $A s p$

[^0]strains which had themselves been derived from six generations of inbreeding with ST $A$. From these crosses $a$ am sp, A am sp, a inos am and $A$ inos am derivatives were isolated and were used in the subsequent analysis. In most cases the $A$ am $s p$ strains finally selected for use were crossed to the original $a \mathrm{am}$ strains; the absence of $\mathrm{am}^{+}$ recombinants from such crosses gave assurance that no confusions had occurred during the back-crossing programme (cf. Table 1). It was also shown that the finally derived strains retained the complementation characteristics and enzymic properties of the original mutants.

## (ii) Technique for crosses between am mutants

In each cross a $s p \mathrm{am}^{x}$ strain was inoculated on to ten Petri dishes each containing 20 ml . of standard crossing medium (Westergaard \& Mitchell, 1947) supplemented with 0.005 m monosodium l-glutamate. After 6 to 8 days of incubation at $25^{\circ}$., about $1-2 \mathrm{ml}$. of a dense suspension of conidia of an inos $\mathrm{am}^{y}$ strain of opposite mating type was distributed over the surface of each culture. The plates were incubated for a further $1 \frac{1}{2}-2$ weeks at $25^{\circ} \mathrm{C}$. in an inverted position. At the end of this time a large number of ascospores had usually been discharged on to the lid of each dish. The advantage of using the $s p$ strain as the female parent in each cross lay in the fact that the $s p$ mutation causes a great reduction in the production of conidia which are often an embarrassment in plate cultures.

Crosses were made between alleles in all combinations except those involving strongly complementary alleles which would have complicated the analysis because of the formation of pseudo-wild ascospores. Each inter-allele cross was made in
 of crosses will be referred to as reciprocal crosses.

## (iii) Plating of ascospores

In the region of $6,000,000$ ascospores were screened from most of the crosses. When a cross was highly fertile this number could easily be obtained from four of the crossing plates, but in the case of a few less-fertile crosses anything up to ten dishes had to be used. The ascospores were washed from the lid of each dish with 10 ml . of a sterile solution of $0.01 \%$ agar in water, the combined washings were filtered through a loosely packed filter of sterile cotton wool to remove fragments of mycelium, and the number of spores per millilitre was determined by haemacytometer count. The suspension was shaken vigorously prior to withdrawal of the sample for counting, and the viscosity due to the agar helped to hold the ascospores in suspension; even so it is thought that on occasion a representative sample was not obtained and that this probably accounts for the variation in results which was occasionally observed between repeated platings from the same cross (cf. Table 1). Between 400 and 500 ascospores were usually counted. The suspension was now held in a $60^{\circ} \mathrm{C}$. water bath for 30 min . to induce germination, and appropriate volumes were pipetted into bottles containing molten minimal agar medium ' N '
(Vogel, 1956) with $1.5 \%$ sucrose as carbon source, 0.02 m glycine to inhibit growth of $a m$ sporelings (Fincham, 1950; Pateman, 1957), $10 \mu \mathrm{~g} . / \mathrm{ml}$. inositol, and $5 \mu \mathrm{~g} . / \mathrm{ml}$. achromycin (Lederle Laboratories). The antibiotic was added to prevent the growth of bacterial contaminants which otherwise proved troublesome on occasion. The resulting suspension was plated at the rate of about 15 ml , or about $10^{5}$ spores, per dish.

## (iv) Detection of $\mathrm{am}^{+}$recombinants

After 22-24 hours at $25^{\circ} \mathrm{C}$., plates were scanned with a binocular dissecting microscope at a magnification of $12.5 \times$. The $a m^{+}$recombinants were very clearly distinguishable against the background 'fuzz' of barely germinated am spores. The $a m^{+} s p^{+}$sporelings had produced long (up to 1 cm .) vigorous hyphae, often reaching the surface of the medium and branching near the tips, while $s p a m^{+}$sporelings formed compact and relatively dense spherical colonies.

This procedure was certainly more laborious than the more usual one of using sucrose-sorbose medium and scoring the resulting compact colonies by eye after 2 or more days' incubation. It was adopted for two reasons. Firstly, $s p$ is much more easily distinguished from $s p^{+}$on sucrose than on sucrose-sorbose medium. Secondly, with the high densities of plating which were necessary in order to obtain useful numbers of recombinants, it was feared that a more prolonged incubation might lead to heterokaryon formation and consequent mis-scoring of the flanking markers.

## (v) Testing recombinants for inositol requirement

All the $a m^{+}$recombinants were transferred, sixteen to a plate, to the surface of minimal agar medium N containing $0.3 \%$ sucrose plus $1.0 \%$ sorbose to induce compact growth, and 0.02 m glycine to inhibit growth of am spores, but devoid of inositol. The $s p$ colonies were transferred more or less intact, while in the case of $s p^{+}$ recombinants substantial hyphal branches were taken; in each case the transfers were made in blocks of agar of minimum size. After $2-3$ days at $25^{\circ} \mathrm{C}$., inos ${ }^{+}$ recombinants had formed substantial colonies while inos recombinants had hardly grown out of the agar blocks in which they had been transferred.

## 3. RESULTS AND DISCUSSION

## (i) Validity of the method

Table 1 shows the results of the analysis of the crosses. Two features of the data provide support for the assumptions on which further discussion will be based. First, $a m^{+}$spores are not produced in the control crosses in which the parents carried identical $a m$ alleles; hence $a m^{+}$spores must be due to recombination of some kind between different sites within the gene. Secondly, there is no overall tendency for a higher recovery of one allele rather than the other at either flanking locus; any
inequalities in one cross were generally balanced in the reciprocal cross. Hence the scoring of the markers seems to have been reliable and there are no important viability differences.

## (ii) Mapping by recombination frequencies

Figure 1 shows an order of the mutant sites based on frequencies of $\mathrm{am}^{+}$recombinants. While the order given provides one of the best fits to the data, several other


Fig. 1. Map of mutant sites based on frequencies of $a^{+}+$recombinants. The distances are given in terms of frequencies per $10^{6}$ germinated spores, and are the means of the values from reciprocal crosses.
slightly different orders would be about as good. In particular the sequence of the very closely linked sites 1,3 and 7 is not uniquely determined by the data. It will be seen that additivity of frequencies along the map is no more than approximate at best, and that there are some striking anomalies. There is a general tendency for map intervals to be more than additive ('map expansion', of. Holliday, 1964). Thus the cross $6 \times 7$ gave an $\mathrm{am}^{+}$frequency of $40-50$, while the sum of the intervals connecting 6 and 7 is only $19 \cdot 6$. The most striking individual deviation from additivity is shown by the sites 19,2 and $4 ; 2 \times 4$ gave a frequency of recombinants of only $0.7 \times 10^{-6}$ while $19 \times 2$ gave none in $10^{7}$ spores, yet $19 \times 4$ gave a frequency of $14 \times 10^{-6}$. Among the other aberrations, $2 \times 14,1 \times 4,1 \times 6$ and $2 \times 6$ gave unexpectedly low frequencies in relation to the whole map while $19 \times 14$ and $3 \times 2$ gave

Table 1. Results of crosses of the type $\mathrm{am}^{x} \mathrm{sp} \times \mathrm{am}^{y}$ inos

| Cross | No. $a^{+}{ }^{+}$ spores | Frequency of $\mathrm{am}^{+}$ (per $10^{6}$ germinated spores) | Genotypes with respect to flanking markers |  |  |  | \% sp-inos recombination among $a m^{+}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | +inos | $s p+$ | + + | sp inos |  |
| $a m^{7} s p A \times a m^{7} a$ | 0 | 0 | 0 | 0 | 0 | 0 | - |
| $a m^{7}$ spa $\times a m^{1}{ }^{1} \mathrm{nos} A$ | 3 | $0 \cdot 4$ | 1 | 1 | 1 | 0 | 33 |
| $a m^{7} \mathrm{spa} \times a m^{3} \mathrm{inosA}$ | 5 | 1.1 | 2 | 1 | 1 | 1 | 40 |
| $a m^{3} s p A \times a m^{7}$ inosa | 4 | 0.6 | 1 | 3 | 0 | 0 | 0 |
| $a m^{7} \mathrm{spa} \times a m^{5} \mathrm{inosA}$ | 74 | $10 \cdot 9$ | 23 | 13 | 18 | 20 | 51 |
| $a m^{5} p p A \times a m^{7}$ inosa | 49 | 7.4 | 12 | 17 | 5 | 15 | 41 |
| $a m^{7}$ spa $\times a m^{19}{ }^{\text {in }}$ os $A$ | 197 | 15.2 | 50 | 45 | 66 | 36 | 52 |
| $a m^{19} s p A \times a m^{7}$ inosa | 34 | 6.6 | 5 | 14 | 10 | 5 | 44 |
| $a m^{2} s p a \times a m^{2}{ }^{2} \mathbf{n o s} A$ | 271 | 22.2 | 109 | 36 | 76 | 50 | 47 |
| $a m^{2} s p A \times a m^{7}$ inosa | 178 | $34 \cdot 2$ | 31 | 40 | 23 | 84 | 60 |
| $a m^{7} s p a \times a m^{4} \mathrm{inos} A$ | 133 | 26.6 | 47 | 33 | 27 | 26 | 40 |
| $a m^{4} s p A \times a m^{7}$ inosa | 136 | 27.0 | 23 | 61 | 25 | 27 | 38 |
| $a m^{7} \mathrm{spa} \times a m^{14} \mathrm{inos} \mathrm{A}$ | 74 | 15.2 | 34 | 10 | 18 | 12 | 40 |
| $a m^{14} s p A \times a m^{7}$ inosa | 221 | $41 \cdot 2$ | 54 | 72 | 35 | 60 | 43 |
| $a m^{7} s p A \times a m^{6}$ inosa | 42 | 37.5 | 12 | 15 | 2 | 13 | 36 |
| * | 153 | $34 \cdot 0$ | 57 | 51 | 27 | 18 | 29 |
| -* | 176 | $40 \cdot 4$ | 57 | 52 | 26 | 41 | 38 |
| $a m^{6} s p A \times a m^{7}$ inosa | 164 | 51.2 | 83 | 29 | 30 | 22 | 32 |
| † | 93 | 30.0 | 30 | 31 | 19 | 13 | 34 |
| - $\ddagger$ | 312 | $52 \cdot 8$ | 110 | 73 | 53 | 76 | 41 |
| $a m^{1}$ spa $\times a m^{5}{ }^{\text {n }}$ os $A$ | 17 | $2 \cdot 6$ | 7 | 4 | 2 | 4 | 35 |
| $a m^{5}$ spa $\times a m^{1}$ inos $A$ | 12 | 1.6 | 3 | 3 | 3 | 3 | 50 |
| $a m^{1} s p A \times a m^{4}{ }^{\text {inosa }}$ | 59 | 7.8 |  | $46+$ | $13 s p \dagger$ |  | - |
| $a m^{4} s p a \times a m^{1}{ }^{\text {n }}$ os $A$ | 26 | $4 \cdot 4$ | 6 | 10 |  | 8 | 38 |
| $a m^{1} s p A \times a m^{6}{ }^{\text {n }}$ osa | 22 | 10.8 | 13 | 1 | 5 | 3 | 38 |
| $a m^{6} s p a \times a m^{1}$ inos $A$ | 136 | 8.5 | 14 | 84 | 25 | 43 | 50 |
| $a m^{3} s p A \times a m^{3} a$ | 0 | 0 | 0 | 0 | 0 | 0 | - |
| $a m^{3} s p a \times a m^{5}$ inos $A$ | 10 | 1.4 | 4 | 3 | 2 | 1 | 30 |
| $a m^{5} s p a \times a m^{3}$ inos $A$ | 32 | $4 \cdot 5$ | 11 | 8 | 9 | 4 | 41 |
| $a m^{3}$ spa $\times a m^{19}$ inos $A$ | 44 | $5 \cdot 2$ | 15 | 11 | 13 | 5 | 41 |
| $a m^{19}{ }^{19} a \times a m^{3} \mathrm{inos} A$ | 35 | $4 \cdot 7$ | 7 | 16 | 3 | 9 | 34 |
| $a m^{3} s p A \times a m^{2}{ }^{2} n o s a$ | 210 | 28.0 | 96 | 33 | 40 | 41 | 39 |
| $a m^{2} s p A \times a m^{3}$ inosa | 110 | $25 \cdot 3$ | 28 | 49 | 21 | 12 | 30 |
| $a m^{3} s p A \times a m^{4}{ }^{\text {n }}$ Osa | 75 | 13.2 | 33 | 12 | 22 | 8 | 40 |
| $a m^{4} s p a \times a m^{3}$ inos $A$ | 61 | 10.9 | 15 | 21 | 6 | 19 | 41 |
| $a m^{3} s p A \times a m^{14}$ inosa | 52 | 8.8 | 26 | 2 | 13 | 11 | 46 |
| $a m^{14} s p a \times a m^{3}$ inos $A$ | 84 | 11.5 | 8 | 31 | 10 | 35 | 53 |
| $a m^{3} s p A \times a m^{6}$ inosa | 104 | $20 \cdot 6$ | 51 | 10 | 28 | 15 | 41 |
| $a m^{6}$ spa $\times a m^{3} \mathrm{inos} A$ | 115 | 22.5 | 15 | 48 | 19 | 33 | 44 |
| $a m^{5} s p A \times a m^{5} a$ | 0 | 0 | 0 | 0 | 0 | 0 | - |
| $a m^{5}{ }^{\text {spa }} \times \times{ }^{\text {a }}{ }^{19}{ }_{\text {inos }} A$ | 9 | 1.1 | 5 | 1 | 1 | 2 | 33 |
| $a m^{19}{ }_{\text {spa }} \times a m^{5}$ inosA | 2 | 1.8 | 1 | 1 | 0 | 0 | 0 |
| $a m^{5} s p A \times a m^{2} i n o s a$ | 13 | 1.0 | 6 | 2 | 0 | 5 | 38 |
| $a m^{2} s p a \times a m^{5}$ inos $A$ | 2 | 0.6 | 0 | 1 | 1 | 0 | 50 |
| $a m^{5} s p A \times a m^{4}{ }^{4} 08 a$ | 11 | 3.9 | 7 | 0 | 3 | 1 | 36 |

Table 1-continued

Cross
$a m^{4} s p a \times a m^{5}$ inosA
$a m^{5} s p A \times a m^{14}$ inosa
$a m^{14} s p a \times a m^{5}$ inos $A$
$a m^{5} s p A \times a m^{6}$ inosa
$a m^{6} s p a \times a m^{5}$ inosA
$a m^{19} s p a \times a m^{2}$ inos $A$
$a m^{2} s p a \times a m^{19}$ inosA
$a m^{19} s p A \times a m^{4}$ inos $a$
$a m^{4} s p a \times a m^{19}$ inos $A$
$a m^{19} s p a \times a m^{14}$ inos $A$
$a m^{14} s p a \times a m^{19}$ inos $A$
$a m^{19} s p A \times a m^{6}$ inosa
$a m^{6} s p a \times a m^{19}$ inos $A$
$a m^{2} s p A \times a m^{2} a$
$a m^{2} s p A \times a m^{4}$ inosa
$a m^{4} s p a \times a m^{2}$ inos $A$
$a m^{2} s p A \times a m^{14}$ inosa
$a m^{14} s p a \times a m^{2}$ inos $A$
$a m^{2} s p A \times a m^{6}$ inosa
$a m^{6} s p a \times a m^{2}$ inos $A$
$a m^{4} s p a \times a m^{14}$ inosA
$a m^{14} s p A \times a m^{4}$ inosa
$a m^{4} s p A \times a m^{6}$ inosa
$a m^{6} s p a \times a m^{4}$ inos $A$
$a m^{14} s p A \times a m^{14} a$
$a m^{14} s p A \times a m^{6}$ inosa
$a m^{6} s p a \times a m^{14}$ inos $A$
$a m^{6} s p A \times a m^{6} a$

Frequency
of $\mathrm{am}^{+} \quad$ Genotypes with respect to $\quad \%$ sp-ions
(per $10^{6}$ No. am ${ }^{+}$germinated
 recombina. tion among

| 14 | $3 \cdot 3$ | 1 | 10 | 1 | 2 | 21 |
| ---: | :---: | ---: | ---: | ---: | ---: | ---: |
| 145 | $13 \cdot 0$ | $\mathbf{8 0}$ | 20 | 14 | 31 | 31 |
| 66 | $10 \cdot 6$ | 6 | 36 | 9 | 15 | 36 |
| 124 | $18 \cdot 8$ | 70 | 13 | 18 | 23 | 33 |
| 107 | $16 \cdot 0$ | 13 | 50 | 23 | 21 | 41 |
| 0 | 0 | 0 | 0 | 0 | 0 | - |
| 0 | 0 | 0 | 0 | 0 | 0 | - |
| 28 | $13 \cdot 3$ | 11 | 8 | 4 | 5 | 32 |
| 89 | $14 \cdot 9$ | 23 | 34 | 22 | 10 | 35 |
| 48 | $28 \cdot 2$ | 23 | 12 | 3 | 10 | 27 |
| 127 | $27 \cdot 2$ | 23 | 57 | 28 | 19 | 37 |
| 53 | $12 \cdot 0$ | 32 | 6 | 11 | 4 | 28 |
| 137 | $21 \cdot 1$ | 26 | 54 | 28 | 29 | 42 |
| 0 | 0 | 0 | 0 | 0 | 0 | - |
| 2 | $0 \cdot 4$ | 2 | 0 | 0 | 0 | 0 |
| 8 | $1 \cdot 0$ | 2 | 1 | 1 | 4 | 62 |
| 25 | $4 \cdot 6$ | 12 | 3 | 7 | 3 | 40 |
| 18 | $3 \cdot 6$ | 4 | 10 | 2 | 2 | 22 |
| 50 | $5 \cdot 5$ | 26 | 10 | 7 | 7 | 28 |
| 37 | $5 \cdot 9$ | 8 | 16 | 6 | 7 | 35 |
| 102 | $17 \cdot 3$ | 48 | 16 | 17 | 21 | 37 |
| 60 | $11 \cdot 3$ | 11 | 27 | 8 | 14 | 37 |
| 84 | $18 \cdot 4$ | 26 | 22 | 23 | 13 | 43 |
| 69 | $12 \cdot 3$ | 15 | 24 | 13 | 17 | 43 |
| 0 | 0 | 0 | 0 | 0 | 0 | - |
| 12 | $1 \cdot 4$ | 7 | 3 | 1 | 1 | 17 |
| 16 | $2 \cdot 3$ | 6 | 8 | 1 | 1 | 12 |
| 0 | 0 | 0 | 0 | 0 | 0 | - |

Numbers in significant ( $P<0.05$ ) excess over reciprocal class shown in heavy type.

* Repeated crosses.
$\ddagger$ Repeated platings of a repeated cross.
$\dagger$ Not scored for inos.
unexpectedly high ones. The best that can be said for Fig. 1 is that the inconsistencies shown are perhaps no worse than have been quite frequently encountered in attempts to map within Neurospora genes by crude recombination frequencies.


## (iii) Mapping by reference to flanking markers

The data shown in Table 2 lead to estimates of the sp-am and am-inos distances as 6.0 and 8.8 map units respectively. If the am gene is colinear with the chromosome, and if all the $a m^{+}$recombinants were generated by orthodox crossing-over,
one would expect that, with respect to the flanking markers, one recombinant genotype, RI, would be in the great majority, the two parental genotypes, Pl and P2, much less frequent, and the other recombinant type, R 2 , rare among the $a m^{+}$ recombinants (Pritchard, 1955; Case \& Giles, 1958). Given the values for the $s p-a m$ and am-inos intervals, and assuming no interference, we would expect the frequencies $\mathrm{Pl}=8 \cdot 3, \mathrm{P} 2=5 \cdot 5, \mathrm{Rl}=85 \cdot 7$ and $\mathrm{R} 2=0.5$. The constitutions of Pl and P2, and of R1 and R2, would, of course, be reversed in reciprocal crosses. If, on the other hand, $a m^{+}$recombinants were generated by some process which was quite uncorrelated with crossing-over we would expect $\mathrm{Pl}=43 \cdot 2, \mathrm{P} 2=43 \cdot 2, \mathrm{R} 1=6 \cdot 8$,

Table 2. Linkage of am to flanking markers
Cross: $s p A^{*} \times a m^{3}$ inosa, i.e. $s p++\times+a m$ inos Ascospores were germinated and isolated at random; germination was $c a .95 \%$

| Genotype | Number of <br> ascospores |  |
| :--- | :---: | ---: |
| $s p++$ | 220 |  |
| $+a m$ inos | 211 |  |
| $s p a m$ inos | 13 | Map distances: |
| +++ | 14 | $s p-a m$ |
| $s p+$ inos | 18 | am-inos |
| $+a .8$ |  |  |
| $+a m+$ | 23 |  |
| $s p a m+$ | 3 |  |
| ++ inos | 0 |  |
| Total | $\underline{502}$ |  |

* $6 \times$ backcrossed to ST $A$.

R2 $=6 \cdot 8$. Examination of the data of Table 1 shows that neither situation holds in the present case. A number of generalizations can, nevertheless, be made:
(1) There is clearly a correlation between the formation of $a m^{+}$recombinants and recombination between $s p$ and $a m$, since, among $a m^{+}$ascospores, the $s p$-inos recombination frequency is almost invariably much higher than the $13.8 \%$ expected if there were no correlation.
(2) In the great majority of crosses the majority of the $a m^{+}$recombinants are still non-recombinant with respect to $s p$ and inos, the $s p$-inos recombination frequency being usually in the range $30-50 \%$. Thus, while a correlation with crossing-over does exist, the generation of $a m^{+}$recombinants, far from being dependent on crossing-over, does not even entail a $50 \%$ chance of it.
(3) The 'classical' pattern $\mathrm{R} 1 \gtrdot \mathrm{P} 1 \sim \mathrm{P} 2 \gtrdot \mathrm{R} 2$ is nowhere approached. In a number of pairs of reciprocal crosses (e.g. $7 \times 2,7 \times 14,1 \times 6,3 \times 4$ ) there is an approximation to the pattern $\mathrm{Pl}=\mathrm{Rl}>\mathrm{P} 2=\mathrm{R} 2$, which was a conspicuous feature of the data of Murray (1963) on me-2, Stadler \& Towe (1963) on cys and Smith (1965) on his-5, all in Neurospora. More numerous, however, are cases which approximate
to $\mathrm{Pl}>\mathrm{P} 2=\mathrm{Rl}=\mathrm{R} 2$; a similar pattern was found in a few of Smith's crosses and several of Murray's. In addition there were a number of crosses in which there were no significant deviations from equality among the four classes; these were mostly crosses from which the numbers of $a m^{+}$recombinants were too small for the detection of anything but a gross inequality. Where significant inequalities existed they were usually reversed in the reciprocal cross, so that, taking pairs of reciprocal crosses together, P1~P2 and R1~R2.


Fig. 2. Map of mutant sites based on the distribution of the $s p$ marker. Arrows pointing right to left indicate linkage of the presumed proximal wild-type site to $s p$; $P<0.05$, or $0.05-0.2$ in the case of dotted arrow heads. Arrows pointing left to right indicate 'reverse' linkage to $s p$. Double arrows: results from reciprocal crosses. single arrows : result from one cross only. Lines without arrowheads : no asymmetry in distribution of the $s p$ marker ( $P>0.2$ ).

Taking the crosses as a whole it is possible to arrange the am mutant sites in a linear order such that the presumptive proximal site in any pair shows linkage to the proximal marker $s p$. If we consider only the crosses approximating to the pattern $\mathrm{P} 1 \sim \mathrm{R} 1>\mathrm{P} 2 \sim \mathrm{R} 2$ it is also true that the presumptive distal site shows no significant linkage to the inos marker. In those crosses showing the pattern $\mathrm{P} 1>\mathrm{P} 2 \sim \mathrm{R} 1 \sim \mathrm{R} 2$, however, the distal site tends to show reverse linkage with inos. By far the most consistent order is that obtained by reference to the proximal marker $s p$. To apply Smith's (1964) criteria, criterion 2 (proximal linkage) leads to an almost completely consistent order, criterion 3 (distal linkage) gives conflicting results, while the classical criterion 1 (predominance of one of the two marker recombinant classes) is applicable in only a few cases (e.g. $2 \times 7,3 \times 4,7 \times 19$ ).

Figure 2 shows the ordering of the sites by reference to $s p$. The result is, so far as it goes, in agreement with Fig. 1, although the order within each of the three groups
of sites $(1,3,7),(2,4,19)$ and $(4,6)$ is not defined. Within these groups a most probable (though not certain) order can be deduced from the recombination frequency data. The 'polarity map' shows a high degree of internal consistency with the exception of the cross $6 \times 7$ which shows no linkage, or even reverse linkage, of the proximal site 7 to $s p$.

## (iv) Possible mechanisms of recombination within am

It seems simplest to interpret these data as meaning that $a m^{+}$recombinants are generated by a gene conversion process which is correlated with crossing-over but not dependent upon it. The excess of one parental marker combination can be taken as indicating that the am mutant site originally linked with this combination is converted to wild type more often than the am mutant site contributed by the other parent. Viewed in this way the data can be taken as indicating that there is a gradient of conversion frequency along the am gene, distal sites (i.e. on the inos side) being converted preferentially as compared with proximal ones, which thus tend to remain in their original linkage with $s p$. Murray made a similar interpretation of her data on the me-2 gene. This type of explanation is essentially the same as the polaron hypothesis of Lissouba et al. (1962). The existence in rather high frequencies of $a m^{+}$recombinants of the minority parental marker class and of the two recombinant classes can be explained in a general way by saying ( $a$ ) that the polarity is only relative and that both mutant sites in a cross can be converted to wild type though often with unequal frequencies, and (b) that conversion is correlated with crossing-over. To explain the rather frequent occurrence in these data, and the very general occurrence in the data of Murray (1963), Smith (1965) and Stadler \& Towe (1963), of patterns of the type P1 $\sim \mathrm{R} 1>\mathrm{P} 2 \sim \mathrm{R} 2$ it is sufficient to say that correlated crossing-over tends to occur preferentially on the side of the gene (in this case the distal side) that shows preferential conversion.

The data could also be interpreted within the framework of either of the 'hybrid DNA' hypotheses elaborated respectively by Holliday (1964) and Whitehouse \& Hastings (1964). In either case one could say ( $a$ ) that, within the am region, hybridization of the DNA of homologous chromatids tends to spread into the gene from the inos side, (b) that conversion at one site and not at the other (which is necessary if an $\mathrm{am}^{+}$strand is to be formed) can occur most easily if the region of hybridity includes the first site and not the second, and (c) that crossing over tends to occur (though with less than $50 \%$ frequency) in the hybrid region. The third point must be qualified to the extent that, in order to account for the general appearance of substantial numbers in both outside marker recombinant classes, one has to suppose that recombination within the gene is often accompanied by nearby crossing-over outside the hybrid region, perhaps in a different hybrid region. Such a clustering of recombinational events would be consistent with the concept of localized regions of close pairing between synapsed chromosomes (Pritchard, 1960).

The major inconsistency in the data-the non-polarity or even reversed polarity in the cross $6 \times 7$-is difficult to explain. One might suppose that hybrid DNA can spread into the gene to a limited extent from the proximal side and that this results in the most proximal site (i.e. 7) being converted as often through being in proximal hybrid DNA as is site 6 through being in distal hybrid DNA. The difficulty then is to explain why it is only in crosses with 6 that this high conversion frequency of 7 shows up. A formally adequate explanation would be that when a hybrid DNA region of proximal origin crosses site 7 it tends, for some unknown reason, to include all other sites up to but not including 6 , so that only in $7 \times 6$ crosses would the hybrid region end between the two mutant sites. Such an explanation seems too special to carry much conviction. It may be, rather, that certain crosses show atypical patterns of hybrid DNA formation because of effects of the mutant sites themselves.

Strong effects of genetic background on recombination frequency are indicated by the comparison with the earlier data of Pateman, appended to this paper.


Fig. 3. Genetic map compared with the complementation map. Symbols: 0 , mutant produces no detectable gene product; A, mutant produces potentially active glutamate dehydrogenase; I, mutant produces protein resembling glutamate dehydrogenase but always inactive; C , complementing mutant. The broken line indicates that $a m^{2}$ and $a m^{19}$ complement very poorly with $a m^{14}$.

Though the order of sites derived by Pateman is very much the same as suggested here, and the recombination frequencies are in general of the same order of magnitude, certain crosses show widely different frequencies in the two studies.

## (v) Relation of genetic map to properties of mutants

There is no evident relationship between the map positions of the mutations within $a m$ and the type of effect on the protein product, i.e. glutamate dehydrogenase. Two mutants producing no detectable mutant glutamate dehydrogenase
protein, 5 and 6, map relatively far apart, and from Pateman's data, 6 and 11, which also comes within this category (Roberts \& Pateman, 1964), span the entire known gene map. Mutants producing recognizable abnormal varieties of the enzyme which all, with the exception of 4, show complementation in some combinations (Fincham \& Stadler, 1965) are scattered throughout the central and proximal regions of the map. The anomalous mutant 14, which complements several other am mutants and yet produces no recognizable mutant protein, maps near the distal end. There is some apparent relationship between the recombinational and complementation maps (Fig. 3) but no more than could be due to chance.

## SUMMARY

Maps have been made showing the order of am mutant sites using (a) frequencies of $\mathrm{am}^{+}$recombinants from crosses between am mutants and (b) the modes of distribution of the $\mathrm{am}^{+}$recombinants among the two parental and two recombinant classes with respect to the flanking markers inos and $s p$.

It is possible to arrange the sites in an order such that, in almost all the crosses yielding useful numbers of $a m^{+}$recombinants, the $s p$ allele originally in coupling with the distal am mutant site occurs in the majority of the recombinants. No such consistent pattern was found with respect to the inos marker. The order obtained by reference to $s p$ agreed with the best order deducible from recombination frequencies.

The data are consistent with the hypothesis that $\mathrm{am}^{+}$recombinants arise by a process of gene conversion, that there is a gradient of conversion frequencies from the right (inos or distal) end of the gene to the left ( $s p$ or proximal) end, and that conversion tends to be associated (though less than $50 \%$ of the time) with crossingover, especially on the distal side.

There is no obvious relationship between the map position of a given am mutant and the properties of the protein product of the mutant gene.

I wish to thank Mrs Carole Fenning and Mrs Josephine Slarke for their assistance. Mrs Fenning carried out all the preliminary inbreeding. She and Mrs Slarke, during different periods of the work, set up the crosses, made the spore counts, and plated the spores.

## REFERENCES

Case, M. E. \& Giles, N. H. (1958). Recombination mechanisms at the pan-2 locus in Neurospora crassa. Cold Spring Harb. Symp. quant. Biol. 23, 119.
Fincham, J. R. S. (1950). Mutant strains of Neurospora deficient in aminating ability. J. biol. Chem. 182, 61.
Fincham, J. R. S. (1958). The role of chromosomal loci in enzyme formation. Proc. X Int. Congr. Genet. I, 355-363. Toronto: Univ. Press.
Fincham, J. R.S. (1962). Genetically determined multiple forms of glutamic dehydrogenase in Neurospora crassa. J. molec. Biol. 4, 257.
Fincham, J. R.S. \& Stadler, D. R. (1965). Complementation relationships of Neurospora am mutants in relation to their formation of abnormal varieties of glutamate dehydrogenase. Genet. Res. 6, 419.

Holliday, R. (1964). A mechanism for gene conversion in fungi. Genet. Res. 5, 282.
Lissouba, P., Moussead, J., Rizet, G. \& Rossignol, J. L. (1962). Fine structure of genes in the Ascomycete Ascobolus immersus. Adv. Genet. 11, 343.
Murray, N. E. (1963). Polarized recombination and fine structure within the me-2 gene of Neurospora crassa. Genetics, 48, 1163.
Pateman, J. A. (1957). Back-mutation studies at the am locus of Neurospora crassa. J. Genet. 55, 444.
Pateman, J. A. (1958). Aberrant recombination at the am locus in Neurospora crassa. Nature, Lond. 181, 1605-1606.
Pateman, J. A. (1960). High negative interference at the am locus in Neurospora crassa. Genetics, 45, 839.
Pritchard, R. H. (1955). The linear arrangement of a series of alleles of Aspergillus nidulans. Heredity, Lond. 9, 343.
Pritchard, R. H. (1960). Localized negative interference and its bearing on models of gene recombination. Genet. Res. 1, 1.
Roberts, D. B. \& Pateman, J. A. (1964). Immunological studies of amination deficient strains of Neurospora crassa. J. gen. Microbiol. 34, 295-305.
Smith, B. R. (1965). Interallelic recombination at the his-5 locus in Neurospora crassa. Heredity, Lond. 20, 257.
Stadler, D. R. \& Towe, A. M. (1963). Recombination of allelic cysteine mutants in Neurospora. Genetics, 48, 1323.
Voger, H. J. (1956). A convenient growth medium for Neurospora (medium N). Microb. Genet. Bull. 13, 42.
Westergaard, M. \& Mitchell, H. K. (1947). Neurospora. V. A synthetic medium favouring sexual reproduction. Am. J. Bot. 34, 573.
Whitehouse, H. L. K. \& Hastings, P. J. (1965). The analysis of genetic recombination on the polaron hybrid DNA model. Genet. Res. 6, 27.

# APPENDIX: An earlier study without the use of flanking markers 

By J. A. Pateman

## Department of Genetics, University of Cambridge

Some years previous to the work reported in the main part of this paper, crosses were made between all pairs of $a m$ mutants then available except strongly complementary pairs. The strains used were not closely inbred but all had the standard wild-type $74 A$ in their immediate ancestry. Origins of the mutants are given in Fincham (1959). The methods for plating ascospores and scoring recombinants were essentially as described in the main paper. The results are summarized in Table 1.

As a means of reducing the data to order a series of linear diagrams were constructed, each one representing the results of one mutant crossed to all the others. In each diagram each site was placed either to the left or to the right of the common site at a distance from it proportional to the prototroph frequency given by the corresponding cross. The choice between left and right in each case was made so as
to make the different diagrams consistent as to order so far as possible. A good measure of general agreement between diagrams was achieved, with conflicts confined to the relative positions of closely linked sites. The best order appeared to be:

$$
11-9-1-3-7-5-8-2-4-6
$$

Furthermore, a statistical analysis (undertaken with the co-operation of Dr A. R. G. Owen) followed by enumeration on a computer gave the same order as the most probable one taking the data as a whole. The actual numerical values for

Table 1. Frequencies of wild types from crosses between am mutants

|  |  | d types |  |  | Id types |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\cdots$ |  |  | - |
|  |  | Frequency per $10^{6}$ |  |  | Frequency per $10^{6}$ |
|  |  | plated |  |  | plated |
| Cross | No. | ascospores | Cross | No. | ascospores |
| $1 \times 1$ | 2 | 0.9 (?) | $4 \times 4$ | 0 | 0 |
| $1 \times 4$ | 54 | 27 | $4 \times 5$ | 16 | 5 |
| $1 \times 5$ | 30 | 24 | $4 \times 6$ | 44 | 15 |
| $1 \times 6$ | 76 | 25 | $4 \times 7$ | 91 | 23 |
| $1 \times 7$ | 12 | 4 | $4 \times 8$ | 226 | 34 |
| $1 \times 8$ | 34 | 28 | $4 \times 9$ | 202 | 67 |
| $1 \times 9$ | 6 | 4 | $4 \times 11$ | 320 | 74 |
| $1 \times 11$ | 7 | 3 |  |  |  |
|  |  |  | $5 \times 5$ | 0 | 0 |
| $2 \times 2$ | 0 | 0 | $5 \times 6$ | 120 | 20 |
| $2 \times 4$ | 4 | 1 | $5 \times 7$ | 67 | 13 |
| $2 \times 5$ | 6 | 2 | $5 \times 8$ | 22 | 7 |
| $2 \times 6$ | 19 | 8 | $5 \times 9$ | 70 | 22 |
| $2 \times 7$ | 88 | 16 | $5 \times 11$ | 81 | 20 |
| $2 \times 8$ | 2 | 1 |  |  |  |
| $2 \times 9$ | 192 | 35 | $6 \times 6$ | 0 | 0 |
| $2 \times 11$ | 91 | 26 | $6 \times 7$ | 231 | 46 |
|  |  |  | $6 \times 8$ | 74 | 30 |
| $3 \times 3$ | 0 | 0 | $6 \times 9$ | 75 | 38 |
| $3 \times 4$ | 70 | 16 | $6 \times 11$ | 555 | 82 |
| $3 \times 5$ | 41 | 10 |  |  |  |
| $3 \times 6$ | 92 | 15 | $7 \times 7$ | 0 | 0 |
| $3 \times 7$ | 3 | 1 | $7 \times 8$ | 54 | 21 |
| $3 \times 8$ | 142 | 19 | $7 \times 9$ | 12 | 3 |
| $3 \times 9$ | 7 | 1 | $7 \times 11$ | 51 | 6 |
| $3 \times 11$ | 8 | 1 |  |  |  |
|  |  |  | $8 \times 9$ | 57 | 31 |
|  |  |  | $8 \times 11$ | 171 | 85 |
|  |  |  | $9 \times 11$ | 9 | 4 |

the map distances (in centimorgans $\times 10^{4}$ ) between adjacent sites, with their standard deviations, were as follows:

| $11-9$ | $4.42 \pm 0.41$ | $5-8$ | $3.51 \pm 0.77$ |
| ---: | ---: | ---: | ---: |
| $9 — 1$ | $2.01 \pm 0.54$ | $8-2$ | $2.38 \pm 0.66$ |
| $1-3$ | $1.34 \pm 0.51$ | $2-4$ | $12.99 \pm 0.79$ |
| $3-7$ | $1.34 \pm 0.51$ | $4-6$ | $7.09 \pm 0.62$ |
| $7-5$ | $16.02 \pm 0.72$ |  |  |

With the exception of the sites 1,3 and 7 , which are too close together for their relative positions to be certain on either analysis, the order given is in good agreement with that derived in the main part of this paper.


[^0]:    1 Present address : Department of Genetics, The University, Leeds, 2.

