## THE ABSTRACT GROUP G<sup>3, 7, 16</sup>: A CORRECTION

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Dr. A. D. Sands has pointed out that the following sentence, occurring in (2, p. 60, lines 2 to 4), should be deleted: "Hence Sinkov's group of order 1344 . . . is the holomorph of the Abelian group  $\{p_i\}$ , of order 8 (1, pp. 111-117)."

In fact, Sinkov's group and the holomorph of  $C_2 \times C_2 \times C_2$  are not isomorphic. For, the holomorph is representable on 8 letters by definition (1, p. 87), whereas Sinkov's group is not representable on 8 letters. To see this, we recall that Sinkov's group (3, p. 584) is generated by two elements of periods 2 and 3 (namely,  $QP^3$  and  $QP^2$ ) whose commutator is of period 8. If these two generators could be represented as permutations of 8 letters, their commutator would be an *even* permutation and thus could not be of period 8.

## REFERENCES

(1) W. BURNSIDE, *Theory of Groups of Finite Order* (2nd ed., Cambridge University Press, 1911).

(2) H. S. M. COXETER, The abstract group  $G^{3, 7, 16}$ , these Proceedings, 13 (Series II, 1962), 47-61.

(3) A. SINKOV, On the group-defining relations (2, 3, 7; *p*), Ann. of Math., (2) 38 (1937), 577-584.

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